# Climate and small rodent dynamics in semi-arid Chile: the role of lateral and vertical perturbations and intra-specific processes

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ABSTRACT: The study of the relative importance of the feedback structure (intrinsic processes) and exogenous (climatic or environmental) factors in determining population dynamics, in particular the interaction between density-dependence and climate, is a major question in population ecology. We sought to explain the numerical fluctuations of 2 sympatric rodent species at one well-studied site in semi-arid Chile using simple theoretically based population dynamics models and Royama's theoretical framework for analyzing the dynamics of populations influenced by exogenous climatic forces. We found that rainfall effects appear to operate in a different manner on the 2 rodent species. For one species (*Phyllotis darwini*), rainfall appeared to influence the carrying capacity of the environment, whereas for a second (*Akodon olivaceus*) the rainfall effect had a primarily additive influence on the maximum per capita growth rates.

KEY WORDS: Small rodents · Population dynamics models · ENSO · Lateral perturbations

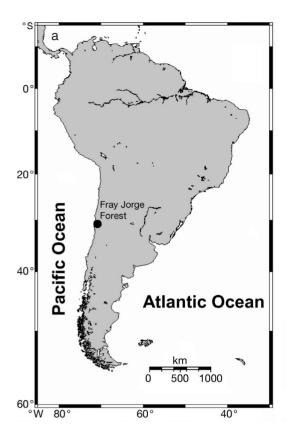
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## 1. INTRODUCTION

Population ecologists have recently begun to understand how the combined effects of endogenous and exogenous factors determine population dynamics in nature (Royama 1992, Berryman 1999). A general finding of studies on the effects of climate on the dynamics of animal populations is that climate can have complex (e.g. non-linear and/or non-additive) effects on the endogenous feedback structures regulating population dynamics (Lima et al. 1999, 2002, Stenseth et al. 2002). However, the use of population dynamics models with a sound theoretical basis may improve the data analysis, since, among other reasons, theoretically based models are usually less complicated, thus reducing problems associated with over-parameterization (Ginzburg & Colyvan 2004).

Royama (1992) provided a logical framework for analysing and deducing the effects of exogenous (climatic) factors in population dynamics. In the simplest case of this framework, climate represents an additive

exogenous factor on the population dynamics. For example, factors such as temperature, rainfall and wind may affect survival and reproduction directly, causing what Royama (1992) calls 'vertical perturbation effects' in the relationship between per capita rate of change and population density. Consequently, it is possible to evaluate the effect of climate on the per capita rate of population change independently of population density (Royama 1992). An alternative scenario occurs when climate influences some limiting resource; here, the effect of the climatic factors can only be evaluated jointly with the effect of population density (Royama 1992). Therefore, for this scenario, climate represents a non-additive force, because the ratio (i.e. population density/climate) will characterize the per capita share of the resources and the competition strength; this case represents what Royama (1992) calls 'lateral perturbation effects'. Finally, climate may have more complex influences on population dynamics; for example, Royama (1992) described 'non-linear perturbation effects' when changes in exogenous fac-



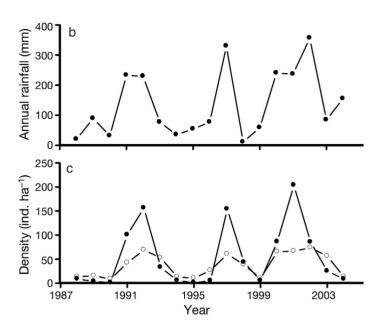


Fig. 1. (a) Map of South America showing location of Fray Jorge Forest National Park, (b) total annual rainfall and (c) peak annual densities of (o) *Phyllotis darwini* and (•) *Akodon olivaceus* during 1989–2004

tors (e.g. climate) alters the intrinsic feedback structure of a population.

A clear example of climatic influences on population dynamics is provided by numerical fluctuations exhibited by small rodents inhabiting many arid and semi-arid ecosystems. In such systems, water as a surrogate for primary productivity is the limiting resource; consequently, after events of unusually high rainfall, there is a subsequent increase in plant cover, seeds, insects perhaps, and finally, small mammal consumers (e.g. rodents) (Jaksic et al. 1997, Jaksic 2001, Meserve et al. 2003). As a result, most small mammal species exhibit striking population irruptions during and immediately after years of high rainfall (Pearson 1975, Jaksic et al. 1997, Lima et al. 1999, Jaksic 2001, Meserve et al. 2003). Several studies have reported the fundamental influence of rainfall on population fluctuations of small mammals in north-central Chile; however, they were based on statistical time series (Lima & Jaksic 1999), Capture-Mark-Recapture (CMR) models (Lima et al. 1999, 2002), and manipulative experiments (e.g. Meserve et al. 2001). There have been no previous attempts to analyze the effects of rainfall using a theoretically oriented framework in this semi-arid ecosystem. Therefore, the present study has 2 objectives: (1) to characterize the dynamics of small rodent populations at Fray Jorge using simple, theoretically based models and (2) to investigate if rainfall operates as a lateral perturbation effect in this semi-arid ecosystem.

# 2. MATERIALS AND METHODS

### 2.1. Study site and focal species

The data set comes from a site in north-central Chile located in an interior valley of Fray Jorge Forest National Park, ca. 5 km from the Pacific Ocean (71° 40′ W, 30° 38′ S, Fig. 1a) that has been monitored since March 1989. The climate of this region is influenced by 3 primary factors: (1) the topography, including the Andes to the east and a low coastal range to the west limiting maritime effects; (2) the subtropical Pacific anticyclone that affects storm fronts coming north from the polar region; and (3) the cold Humboldt current offshore, which depresses ambient temperatures and moisture capacity of onshore winds (López-Cortés & López 2004). Precipitation in this region is sparse and occurs principally in winter months (May-September). High interannual variability in total rainfall is primarily due to El Niño Southern Oscillation (ENSO) events. For example, during the period analyzed here (1989-2004), the annual precipitation ranged from 11 mm during a La Niña year (1998) to 356mm during an El Niño year (2002), with an average of 135 mm for the study period (Fig. 1b).

The dominant vegetation in the study site is thorn scrub, consisting of mostly spiny, drought-deciduous or evergreen shrubs, with an understory of geophytes, herbaceous annuals, and perennial grasses especially after winter rains. The vegetation is very homogenous, with a mean shrub cover of about 60 %. Principal shrub species include *Porlieria chilensis* (guayacán), *Proustia pungens*, and *Adesmia bedwellii*.

Here, we examine the population dynamics of 2 murid sigmodontine rodents: Darwin's leaf-eared mouse Phyllotis darwini and the olive grass mouse Akodon/Abrothrix olivaceus. P. darwini is a ~50 to 70 g herbivorous-granivorous rodent, whereas A. olivaceus is a ~20 to 30 g omnivorous rodent. We used mark-recapture data from small mammal live-trapping conducted for 4 nights (and 3 intervening days) per month since March 1989 in four 0.56 ha grids, each with 25 trapstations 15 m apart and 2 Sherman-type live traps per station baited with rolled oats. Small mammals are marked with ear tags or leg bands, and standard data on species, sex, reproductive condition, weight, and presence and location of ectoparasites taken. Live-trapping results are adjusted to ind. ha<sup>-1</sup> using minimum number known alive (MNKA) estimates (Hilborn et al. 1976). For these analyses we used the time series of the peak annual density estimate obtained by selecting the highest density recorded after the reproductive season (October-May) of each year (Fig. 1c).

# 2.2. Models of population dynamics

The population dynamics of small rodents is the result of the feedback structure and rainfall influences in many arid ecosystems. To understand how both factors may determine rodent fluctuations, we model both systemintrinsic processes, and exogenous influences in a general model based on the R-function (Berryman 1999). The R-function represents the effects of a set of density-dependent and -independent factors on the realized logarithmic per capita population growth rate ( $R_t$ ):

$$R_t = \log_{\alpha}(1 + B - D) = \log_{\alpha}(N_t) - \log_{\alpha}(N_{t-1})$$
 (1)

where  $N_t$  is the population density at time t, and B and D are per capita birth and death rates, respectively. This quantity denotes the processes of individual survival and reproduction and can be expressed as:

$$R_t = f(N_{t-1}, N_{t-2}, ..., N_{t-p}, rain_{t-d}, \varepsilon_t)$$
 (2)

where  $N_{t-p}$  are lagged population densities,  $rain_{t-d}$  are lagged rainfall effects,  $\varepsilon_t$  are stochastic forces, and f is the so-called R-function. This statistical model integrates the feedback structure and the stochastic and climatic forces that drive population dynamics in na-

ture. In this paper, we are primarily interested in the relationship between intra-population processes (intra-specific competition) and rainfall effects; therefore, we fitted a non-parametric version of a simple statistical model:

$$R_{t} = a + f(N_{t-1}) + g(rain_{t-d}) + h\left(\frac{N_{t-1}}{rain_{t-d}}\right) + \varepsilon_{t}$$
 (3)

where f, g and h are unspecified functions of the population density  $N_{t-1}$ , rainfall and the non-additive effects of both variables, respectively. Statistical analysis was performed in the R environment (R Development Core Team [2004]; see www.r-project.org) using the Generalized Additive Modelling (GAM) approach of Hastie & Tibshirani (1990). The form of the partial functions f, g and h was determined by fitting natural cubic splines to the data (see Bjørnstad et al. 1998 for ecological examples), and the complexity of the curve (no. of df) was determined by penalized regression splines and generalized cross validation (GCV) (Wood 2001).

An alternative approach to using non-parametric models is employing a non-linear logistic population model. One type of discrete time logistic model is the exponential form (Royama 1992), known as the Ricker (1954) model, and is used here in its generalized version (Richards 1959, Berryman 1999):

$$R_t = R_m - C_N \cdot \left(\frac{N_{t-1}}{K}\right)^Q \tag{4}$$

where  $N_{t-1}$  represents the rodent abundance at time t-1, R<sub>m</sub> is a positive constant representing the maximum finite reproductive rate,  $C_N$  is the intra-specific competition coefficient for limiting resources (food represented by rainfall), K is the environmental carrying capacity, and Q is the nonlinearity of the curve. A value of Q > 1 indicates a convex shape and Q < 1 indicates concavity. The exponential form represents a randomly distributed population competing for a common resource (Royama 1992), which appears to be consistent with scramble competition. Because the carrying capacity of the environment is frequently related to the amount of food available (Gause 1934, Leslie 1948, Berryman 1999, 2004), we can explicitly model K as a linear function of rainfall because of the dramatic influence of rainfall on plant productivity in this semi-arid system (Jaksic 2001, Gutiérrez & Meserve 2003). Under this hypothesis, rainfall represents a lateral perturbation according to Royama (1992). An extra term can also be added to account for possible vertical perturbation effects of rainfall. Thus, the equation becomes:

$$R_t = R_m - C_N \cdot \left(\frac{N_{t-1}}{rain_{t-d}}\right)^Q + C_r \cdot rain_{t-d}$$
 (5)

where  $C_r$  is the coefficient representing the additive effects of rainfall.

We fitted Eq. (4) using the nls library in the program R by means of non-linear regression analyses (Bates & Watts 1988). All the models were fitted to the data and we then calculated the Aikaike information criteria (AIC) from AIC =  $-2 \times \log$  (likelihood) + 2 (number of parameters). Models with the lowest AIC values were selected to draw inferences.

#### 3. RESULTS

Our non-parametric analysis indicated that population density alone explained 43 and 39% of the variation in the per capita growth rates of *Phyllotis darwini* and *Akodon olivaceus*, respectively (Table 1), whereas rainfall alone explained 30 and 48% of the variation in the per capita growth rates of *P. darwini* and *A.* 

olivaceus, respectively (Table 1). When both variables were combined in an additive manner, the nonparametric models explained much of the variation in per capita growth rates (Table 1). Ninety percent of the variation in the *R* values in *P. darwini* was explained by population density and the combined rainfall of the current and previous year, whereas 81% of the variation in R values of A. olivaceus was explained by population density and rainfall of the current year (Table 1). On the other hand, Fig. 2a,b clearly shows the effect of high rainfall on the R-function model, shifting the equilibrium density to the right. In particular, for *P. darwini*, a non-parametric model using only the ratio  $(N_{t-1}/[rain_t + rain_{t-1}])$  explained 92% of the variance and showed a strong non-linear shape with a pronounced concave curvature (Table 1, Fig. 2). In contrast, for A. olivaceus the additive effect of current rainfall seemed to be very important (Table 1). Overall, for P. darwini the variance explained by population

Table 1. Non-parametric models fitted to rodent time series. GCV: generalized cross validation score, AIC = Akaike information criteria.  $PD_{t-1}$ : population size of  $PD_{t-1}$ :  $PD_$ 

| Non-parametric models   | df           | $\chi^2$       | p                | GCV          | AIC            | ${\bf r}^2$  |
|---|--------------|----------------|------------------|--------------|----------------|--------------|
| $A Rpd_t = b (PD_{t-1})$  | 1.78         | 8.90           | 0.027            | 0.77         | 42.61          | 0.43         |
| $B Rpd_t = c (rain_t)$  | 1.00         | 6.08           | 0.027            | 0.83         | 44.20          | 0.30         |
| $C Rpd_t = c (rain_{t-1})$  | 1.00         | 0.17           | 0.68             | 1.17         | 49.77          | 0.01         |
| $D Rpd_t = b (PD_{t-1})$  | 2.03         | 20.76          | 0.0025           | 0.40         | 31.42          | 0.76         |
| $+ c (rain_t)$  | 1.00         | 15.42          | 0.0020           |              |                |              |
| $E Rpd_t = b (PD_{t-1})$  | 1.44         | 15.89          | 0.0032           | 0.65         | 39.55          | 0.58         |
| $+ c (rain_{t-1})$  | 1.33         | 6.14           | 0.044            |              |                |              |
| $F Rpd_t = b (PD_{t-1})$  | 2.11         | 85.62          | < 0.0001         | 0.18         | 18.20          | 0.90         |
| $+ c (rain_t + rain_{t-1})$   | 1.57         | 53.92          | < 0.00001        |              |                |              |
| $G Rpd_t = b (PD_{t-1}/rain_t)$   | 2.95         | 55.10          | < 0.0001         | 0.29         | 26.16          | 0.82         |
| $H Rpd_t = b (PD_{t-1}/rain_{t-1})$   | 1.71         | 7.10           | 0.045            | 0.83         | 43.98          | 0.37         |
| $I Rpd_t = b [PD_{t-1}/(rain_t + rain_{t-1})]$  | 2.67         | 141.50         | < 0.0001         | 0.12         | 12.78          | 0.92         |
| $J Rpd_t = b [PD_{t-1}/(rain_t + rain_{t-1})]$  | 2.65         | 87.49          | 0.0001           | 0.14         | 14.62          | 0.92         |
| $+ c (rain_t)$  | 1.00         | 0.08           | 0.78             | 4.04         | 00.00          | 0.00         |
| $K Rao_t = b (AO_{t-1})$  | 2.75<br>1.75 | 7.02<br>11.60  | 0.11<br>0.012    | 4.34<br>3.16 | 69.86<br>65.26 | 0.39<br>0.48 |
| L $Rao_t = c (rain_t)$<br>M $Rao_t = c (rain_{t-1})$                                  | 1.75         | 0.88           | 0.36             | 5.13         | 73.31          | 0.48         |
|   |              |                |                  |              |                |              |
| $N Rao_t = b (AO_{t-1})$  | 2.90<br>1.00 | 22.93<br>23.89 | 0.0044 $0.00047$ | 1.66         | 53.59          | 0.81         |
| $+ c (rain_t)$  |              |                |                  | 5.00         | E4 E0          | 0.00         |
| $O Rao_t = b (AO_{t-1})$  | 2.62         | 5.24<br>0.036  | 0.17<br>0.85     | 5.09         | 71.78          | 0.38         |
| $+ c (rain_{t-1})$  | 1.00         |                |                  | 0.00         | 50.00          | 0.74         |
| $P Rao_t = b (AO_{t-1})$  | 2.21<br>1.61 | 23.25<br>19.83 | 0.0023<br>0.0022 | 2.22         | 58.32          | 0.74         |
| $+ c \left( rain_t + rain_{t-1} \right)$  |              |                |                  |              |                |              |
| $Q Rao_t = b (AO_{t-1}/rain_t)$   | 2.82         | 12.22          | 0.029            | 3.48         | 66.28          | 0.52         |
| R $Rao_t = b (AO_{t-1}/rain_{t-1})$<br>S $Rao_t = b [AO_{t-1}/(rain_t + rain_{t-1})]$ | 2.56<br>2.83 | 9.60<br>19.17  | 0.045<br>0.0067  | 3.80<br>2.73 | 67.81<br>62.36 | 0.45<br>0.62 |
|   |              |                |                  |              |                |              |
| $T Rao_t = b (AO_{t-1}/rain_t)$   | 2.98         | 34.36          | 0.0017           | 1.20         | 46.52          | 0.90         |
| $+ c (rain_t)$  | 2.64         | 34.51          | 0.0010           |              | 40.00          | 0.65         |
| $U Rao_t = b [AO_{t-1}/(rain_t + rain_{t-1})]$  | 2.96         | 49.80          | 0.00037          | 0.89         | 42.03          | 0.92         |
| + $c$ (rain <sub>t</sub> )  | 2.41         | 34.98          | 0.0009           |              |                |              |

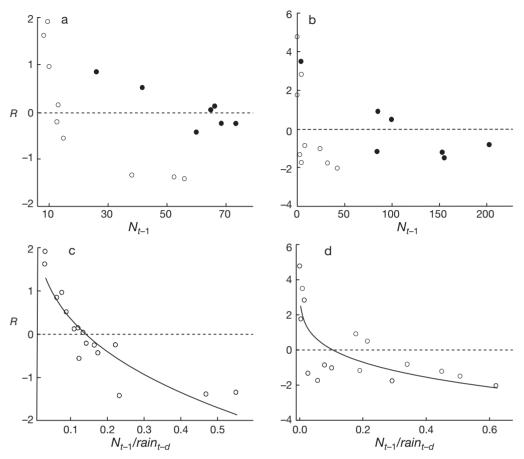


Fig. 2. (a,c) Phyllotis darwini and (b,d) Akodon olivaceus. Relationship (a,b) between the logarithmic annual per capita rate of change  $(R_t = \ln N_t - \ln N_{t-1})$  and population density  $(N_{t-1})$ , and (c,d) between the logarithmic annual per capita rate of change  $(R_t = \ln N_t - \ln N_{t-1})$  and population density per unit of rainfall  $(N_{t-1}/\text{current})$  and lagged rainfall) for the 2 species of small rodent. (o) Dry years, ( $\bullet$ ) rainy years. Curves are the nonlinear Ricker logistic model (Eq. 5) fitted to the data

density and rainfall combined can be explained by the conjunct variable  $N_{t-1}/[rain_t + rain_{t-1}]$  (Table 1), suggesting that a non-additive effect of rainfall and density captures the true nature of the interaction. We observed a strong non-linear shape with a pronounced concave curvature (Fig. 2). In sum, non-parametric analysis suggested that rainfall represents a non-additive climatic force especially for P. darwini and it should be considered as a lateral perturbation effect

(sensu Royama 1992), whereas for *A. olivaceus*, rainfall appears to have both (vertical and lateral effects), but the additive (vertical) effect seems to be the dominant one (Table 1).

We then fitted variants of the non-linear parametric model to the rodent data. The exponential form of the logistic model with additive rainfall effects (vertical perturbation effect, see model B in Table 2) resolved 86% of the variation of per capita growth rates of *Phyllotis darwini* whereas the model with

non-additive effects of rainfall (lateral perturbation effect, see model C in Table 2) resolved 85% of the variation (Table 2). The difference in AIC values between models B and C was only 0.63 (Table 2). Therefore using AIC we could not discriminate between these 2 models. However, the simulated dynamics of model C appeared to better predict the observed fluctuations of the *P. darwini* population than the simulations of model B (Fig. 3a).

Table 2. Fully parametric models fitted to rodent time series. DET: coefficient of determination; AIC: Akaike information criteria. Variable names as in Table 1  $\,$ 

| R-function parametric models  | AIC   | DET  |
|---|-------|------|
| $A Rpd_t = 3.5 - 1.89 \times PD_{t-1}^{0.19} + 0.005 \times rain_t$                       | 32.68 | 0.66 |
| $B Rpd_t = 3.5 - 1.58 \times PD_{t-1}^{0.30} + 0.0052 \times (rain_t + rain_{t-1})$       | 17.82 | 0.86 |
| $C Rpd_t = 3.5 - 6.45 \times [PD_{t-1}/(rain_t + rain_{t-1})]^{0.32}$                     | 18.15 | 0.85 |
| $D Rao_t = 5 - 4.98 \times AO_{t-1}^{0.10} + 0.012 \times rain_t$                         | 53.58 | 0.72 |
| $E Rao_t = 5 - 4.91 \times AO_{t-1}^{0.16} + 0.011 \times (rain_t + rain_{t-1})$          | 49.93 | 0.77 |
| $F Rao_t = 5 - 6.96 \times (AO_{t-1}/rain_t)^{0.08} + 0.008 \times rain_t$                | 57.38 | 0.66 |
| $G Rao_t = 5 - 8.65 \times [AO_{t-1}/(rain_t + rain_{t-1})]^{0.14} + 0.009 \times rain_t$ | 49.41 | 0.79 |

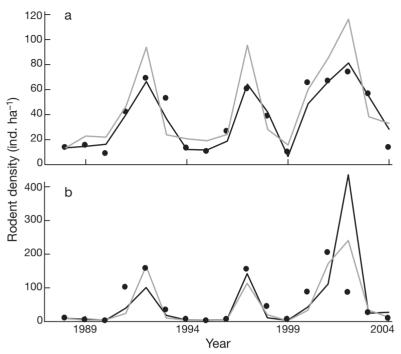


Fig. 3. Phyllotis darwini and Akodon olivaceus. Comparison of observed rodent densities (points) with deterministic predictions (lines) for parameterized models (see Table 2). Models are fitted to data from 1989–2004. Runs began with an initial population size of (a) 14 individuals for Phyllotis darwini, and (b) 9 individuals for Akodon olivaceus. Simulations were implemented using the program MATHCAD 2000. Black line: Ricker model with lateral rainfall effects; gray line: Ricker model with vertical rainfall effects

The 2 best parametric models for *Akodon olivaceus* (models E and G in Table 2) explained 77 and 79% of the variation in per capita growth rates; the difference in AIC values was 0.52, and thus we could not select a best model from these 2 options. However, simulations using model E appear to do a better job of predicting the observed dynamics than those using model G. Both models failed to predict the decline during 2002 (Fig. 3b), but the Ricker model including rainfall as an additive effect (model E) appeared to capture the structure of the observed dynamics more effectively.

# 4. DISCUSSION

There are 2 main findings on the role of rainfall and the mechanistic causes of rodent fluctuations at Fray Jorge. Firstly, rainfall effects appear to operate differently on the 2 rodent species. Whereas rainfall appears to influence the environmental carrying capacity for *Phyllotis darwini* (lateral perturbations, sensu Royama 1992), it has a primarily additive influence on maximum per capita growth rates for *Akodon olivaceus* (vertical perturbations, sensu Royama 1992). Thus, our analyses suggest that *P. darwini* and *A. olivaceus* irruptions are caused by different mechanisms. The nu-

merical fluctuations in *P. darwini* appear to be a case of pure food-pulse driven dynamics, in which rainfall effects on K are related to the increases in food availability. This is consistent with the idea that small rodent populations are strongly food-limited in this semi-arid system. Additionally, the R-function of P. darwini showed a strong concave curvature, which is expected in species with low maintenance costs and high reproductive potential, such as small rodents (K. Johst et al. unpubl.). On the other hand, the irruptions of A. olivaceus appear to have a different cause (see below). Secondly, rodent dynamics at Fray Jorge appear to be driven by the amount of rain during the previous 2 yr, whereas previous studies in semi-arid Chile have reported only the effects of the rainfall during the current year (Lima et al. 1999, 2002a,b).

Our very simple models appear to capture the essential features of the observed fluctuations and also suggest a mechanistic explanation for these fluctuations. In terms of the non-linear logistic model, a vertical climatic perturbation is equivalent to an effect on the parameter  $R_{\rm m}$ , whereas a non-linear perturbation would

act through parameter Q. In contrast, we found good evidence that for *Phyllotis darwini* climate actually acts on  $K_t$  causing a lateral perturbation to the R-function (Fig. 2). Lateral perturbations are particularly difficult to analyze since the exogenous effect (e.g. rainfall) acts jointly with population density (as in the ratio N/K). Rainfall acts indirectly through the food supply by increasing productivity in this semi-arid ecosystem (Holmgren et al. 2001, Jaksic 2001). Our confidence in this model rests upon the logic of the underlying theoretical argument as well as its strong predictive power (Fig. 3). This approach seems much more convincing than a purely phenomenological search for models with good fit to the data. Our analysis does not contradict previous analyses of this system (e.g. Meserve et al. 2003); however, it provides a much more parsimonious and theoretically compatible interpretation. It supports the view that analysis of population data should be done within the framework of a credible theoretical construct and that careful consideration should be given to the fine structure of the model (Berryman 1992, 1999, Royama 1992). Finally, logistic models expressed in terms of ecological demand/offer ratios represent a very plausible theoretical model structure for representing natural populations (Leslie 1948, Berryman 1999, 2004).

As noted above, population fluctuations of Akodon olivaceus appear to be caused by a different mechanism to those of *Phyllotis darwini*. Although current and previous years' rainfall have a lateral effect on the R values of A. olivaceus (Fig. 2b,d), the most important effect of rainfall is additive having mainly an effect on the maximum reproductive rate (R<sub>m</sub>). One explanation for this difference could be the spatial dynamics observed in this species. A. olivaceus usually only maintains very low numbers in the thorn scrub in dry years and is more common in nearby mesic areas such as 'aguadas' (wet areas) and 'quebradas' (shallow ravines) where it is always found (Meserve et al. 2003). Thus, the additive effects of rainfall could be viewed as a proxy for habitat modification during wet years; that is, changes in plant cover and structure due to high rainfall years could convert the thorn scrub into a more suitable habitat for this species. Aquadas and quebradas may function in a manner similar to 'sources' and the thorn scrub as 'sinks' (sensu Pulliam 1988). These sinks experience a much greater increase in productivity in wet years, thus rendering them capable of sustaining large A. olivaceus populations during this time. Alternatively, the thorn scrub areas may be 'sinks' (sensu Watkinson & Sutherland 1995) in wet years due to immigration from source areas. Physiological factors do not appear important, as A. olivaceus shows less water dependence than P. darwini and similar efficiency in water regulation (Cortés et al. 2000); similarly, diet appears irrelevant as A. olivaceus is omnivorous whereas P. darwini is granivorousherbivorous (Meserve 1981). A final hypothesis is that *A. olivaceus* could be restricted to sites with sufficient cover to escape primarily avian predators; therefore, during dry years this species is only found in areas with persistent high cover such as aguadas and quebradas. In fact, the *R-N* and *R-N/rain* phase space for this species showed a depression at low densities ('predator pit', Fig. 2b,d) that could be caused by generalist predators influencing the R-functions of prey at low densities (Holling 1959, Berryman 1999). Thus, aguadas and quebradas may represent a permanent enemy-free area (Holling 1959) whereas thorn scrub is only so during wet years.

In conclusion, the non-parametric approaches used here seem particularly useful for determining the form of underlying functions, but should be used in combination with simple theoretically based models. Our results show that simple models can be useful in explaining and predicting the dynamics of natural populations, particularly when they are based on a sound theoretical framework (Royama 1992, Berryman 1999). In particular, Royama's (1992) classification of exogenous perturbation effects has been extremely useful in population modelling. Using these models together with Royama's (1992) para-

digm for classifying exogenous (climate) perturbations, we were able to distinguish how rainfall influences 2 semi-arid rodent species in different manners. The remarkable simplicity and generality (Ginzburg & Colyvan 2004) of the models used here for explaining rodent fluctuations at semi-arid north-central Chile is also notable.

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